

### SEARCHING

It refers to the operation of finding the location of any item in the array. The search is said to be successful if the item is found; otherwise it is unsuccessful.

#### Linear search

Compare the given item i.e. to be searched with each element of the array one by one. This method traverses the data sequentially is called linear or sequential search.

### Linear Search

#### Algorithm for Linear Search

A  $\rightarrow$  a linear array with size N

N  $\rightarrow$  size of the array

ITEM  $\rightarrow$  item to be searched

LOC  $\rightarrow$  location of the element

FOUND  $\rightarrow$  Boolean variables

#### STEP 1: [Initialization]

FOUND  $\leftarrow$  FALSE; K  $\leftarrow$  0

#### STEP 2: [Read the value i.e. to be searched]

Read ITEM

#### STEP 3: [Comparing each element with the ITEM]

Repeat while K  $<$  N

If A[K] = ITEM

FOUND  $\leftarrow$  TRUE

Go to STEP 4

Otherwise

K  $\leftarrow$  K + 1

#### STEP 4: [Checking for the value of FOUND]

If FOUND  $\leftarrow$  TRUE

Write "Record Found"

Otherwise

Write "Record Not Found"

#### STEP 5: [FINISHED]

EXIT

## Binary Search

Example of searching a name in the dictionary.

In binary search algo, during each stage of our algorithm, the search for an ITEM is reduced to a segment of elements of DATA.  
 $DATA[BEG], DATA[BEG+1], \dots, DATA[END]$

BEG & END are beginning & end locations of segment.

→ The algo. compares ITEM with the middle element  $DATA[MID]$  of the segment. MID is obtained by

$$MID = INT((BEG + END) / 2)$$

→ If  $DATA[MID] = ITEM$  search successful

→ If  $ITEM < DATA[MID]$

Set  $END := MID - 1$  & begin searching

Else

$BEG = MID + 1$  & begin searching.

Initially  $BEG = 1$  &  $END = n$  or  $BEG = LB$

&  $END = UB$

Algorithm:  $BINARY(DATA, LB, UB, ITEM, LOC)$

DATA → sorted array with lower bound LB & upper bound UB

LOC → location of ITEM found

initially  $LOC = NULL$

- STEP 1 [Initialisation]  
 Set  $BEG := LB$ ,  $END := UB$  &  $MID = INT((BEG + END)/2)$
- Repeat steps 3 & 4 while  $BEG \leq END$  &  $DATA[MID] \neq ITEM$
  - If  $ITEM < DATA[MID]$  then  
 Set  $END := MID - 1$   
 Else  
 Set  $BEG := MID + 1$   
 [End of If structure]
  - Set  $MID := INT((BEG + END)/2)$   
 [End of Step 2 loop]
  - If  $DATA[MID] = ITEM$  then  
 Set  $LOC := MID$   
 Else  
 Set  $LOC := NULL$   
 [End of If structure]
  - Exit

Example :  
 Given

11, 22, 30, 33, 40, 44, 55, 60, 66, 77, 80, 88, 99

Search ITEM = 40

- Initially  $BEG = 1$  &  $END = 13$   
 $MID = (1+13)/2 = 7$  so  $DATA[MID] = 55$
- $40 < 55$   $END = MID - 1 = 6$   
 $MID = (1+6)/2 = 3$   $DATA[MID] = 30$

- Since  $40 > 30$ ,  $BEG = MID + 1 = 4$   
 $MID = (4+6)/2 = 5$  so  $DATA[MID] = 5$   
 Hence  $LOC = MID = 5$  Found.

(b) Search ITEM = 85

- Again initially  $BEG = 1$ ,  $END = 13$ ,  $MID = 7$   
 $DATA[MID] = 55$
- $85 > 55$   $BEG = MID + 1 = 8$ ,  $END = 13$   
 $MID = (8+13)/2 = 21/2 = 10$   $DATA[MID] = 77$
- $85 > 77$   $BEG = MID + 1 = 11$   
 $MID = (11+13)/2 = 12$  so  $DATA[MID] = 88$
- $85 < 88$   $END = MID - 1 = 11$   
 $MID = (11+11)/2 = 11$   $DATA[MID] = 80$   
 As  $BEG = END = MID$   
 ITEM not found